

# A Statistical Parsing Framework for Sentiment Classification

ProbModels@ILCC

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# Sentence-Level Sentiment Classification

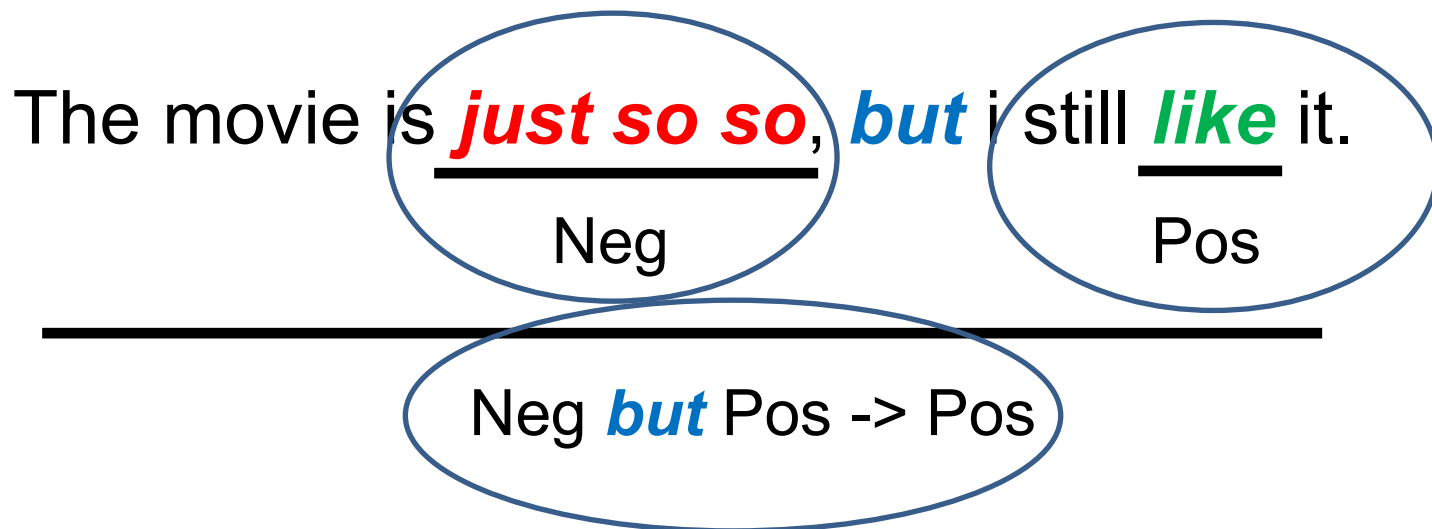
- Input: sentence
- Output: polarity label (e.g., positive / negative)
- One of the most challenging problem is:
  - Sentiment composition
    - (1) The movie is not *good*. [negation]
    - (2) The movie is very *good*. [intensification]
    - (3) The movie is not *funny* at all. [negation + intensification]
    - (4) The movie is *just so so*, but i still *like* it. [contrast]
    - (5) The movie is not very *good*, but i still *like* it. [negation + intensification + contrast]

# Two Mainstream Methods

- Lexicon-based
  - Lexicons (funny, dislike) + Rules (not \*, \* but \*)
  - Pros: simple, interpretable
  - Cons: scalability
- Classifier-based
  - Classifier (SVM, MaxEnt) + Features (n-gram, POS)
  - Pros: data-driven, coverage
  - Cons: tricks to handle sentiment compositions

# Revisit Sentiment Composition

- Two key components
  - Lexicon
  - Rule
- *Q1: Can we learn them from data?*



# Revisit Sentiment Composition

- Sentiment composition is not only about polarity
  - $P(\text{Pos} | \text{Very good}) > P(\text{Pos} | \text{Good})$
- *Q2: Can we model polarity strength?*

The movie is just so so, but i still like it.

Neg

Pos

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Neg but Pos  $\rightarrow$  Pos

# Revisit Sentiment Composition

- Latent sentiment structure
- *Q3: How do we define the sentiment structure?*

The movie is just so so, but i still like it.

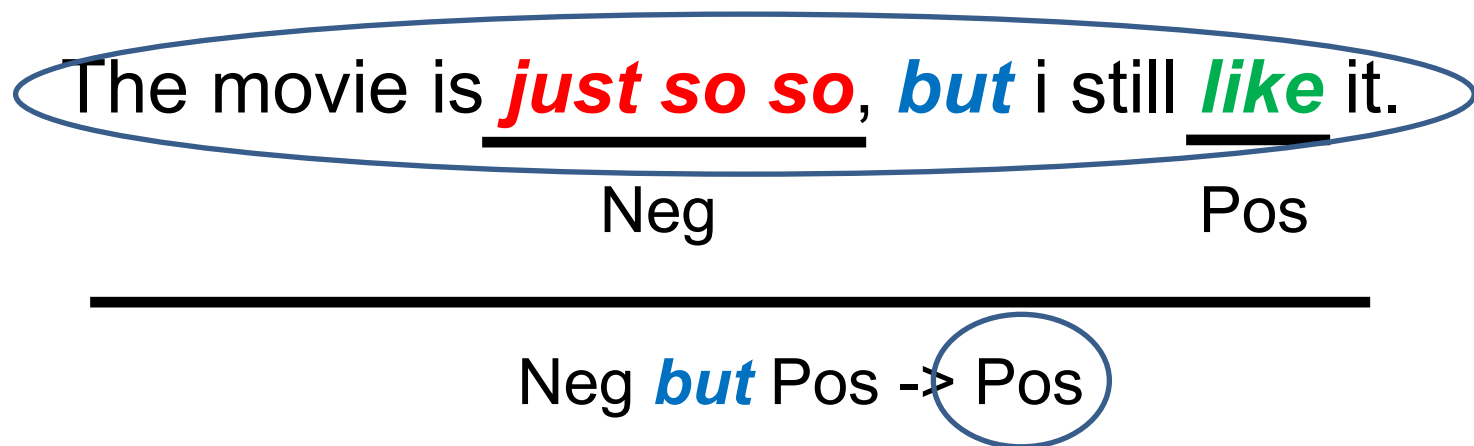
Neg

Pos

Neg but Pos -> Pos

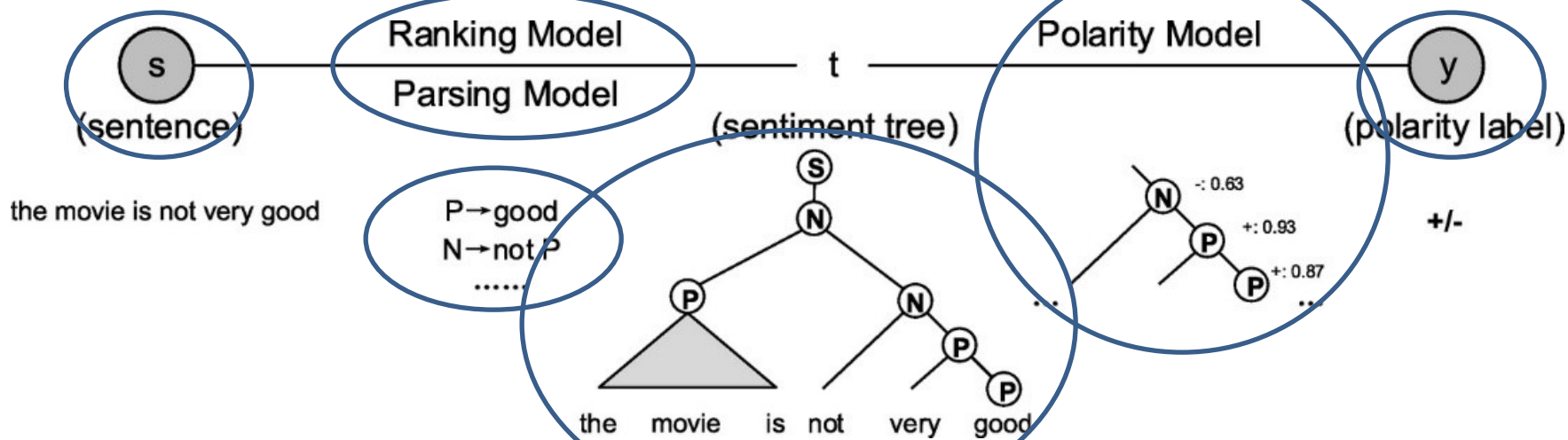
# Revisit Sentiment Composition

- Latent sentiment structure
- *Q4: Can we only use (sentence, polarity) pairs to learn latent sentiment structure?*



# Overview

- Q1: learn lexicons and rules?
- Q2: calculate polarity strength?
- Q3: define sentiment structure?
- Q4: learn structure from (sentiment, polarity)?





# Comparison with Semantic Parsing

## Sentiment parsing

$$p(\text{label}|\text{sentence}, \text{model}) = \frac{p(\text{label}|\text{tree}, \text{polarity model})}{p(\text{tree}|\text{sentence}, \text{parsing model})}$$

deterministic      probabilistic

## Semantic parsing

$$p(\text{answer}|\text{question}, \text{model}) = \frac{p(\text{answer}|\text{representation}, \text{database})}{p(\text{representation}|\text{question}, \text{parsing model})}$$

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### Sentiment parsing

sentiment lexicons

(latent) sentiment tree

(sentence, polarity) pairs

calculate polarity strength

### Semantic parsing

lexical triggers

(latent) meaning representation

(question, answer) pairs

execute query

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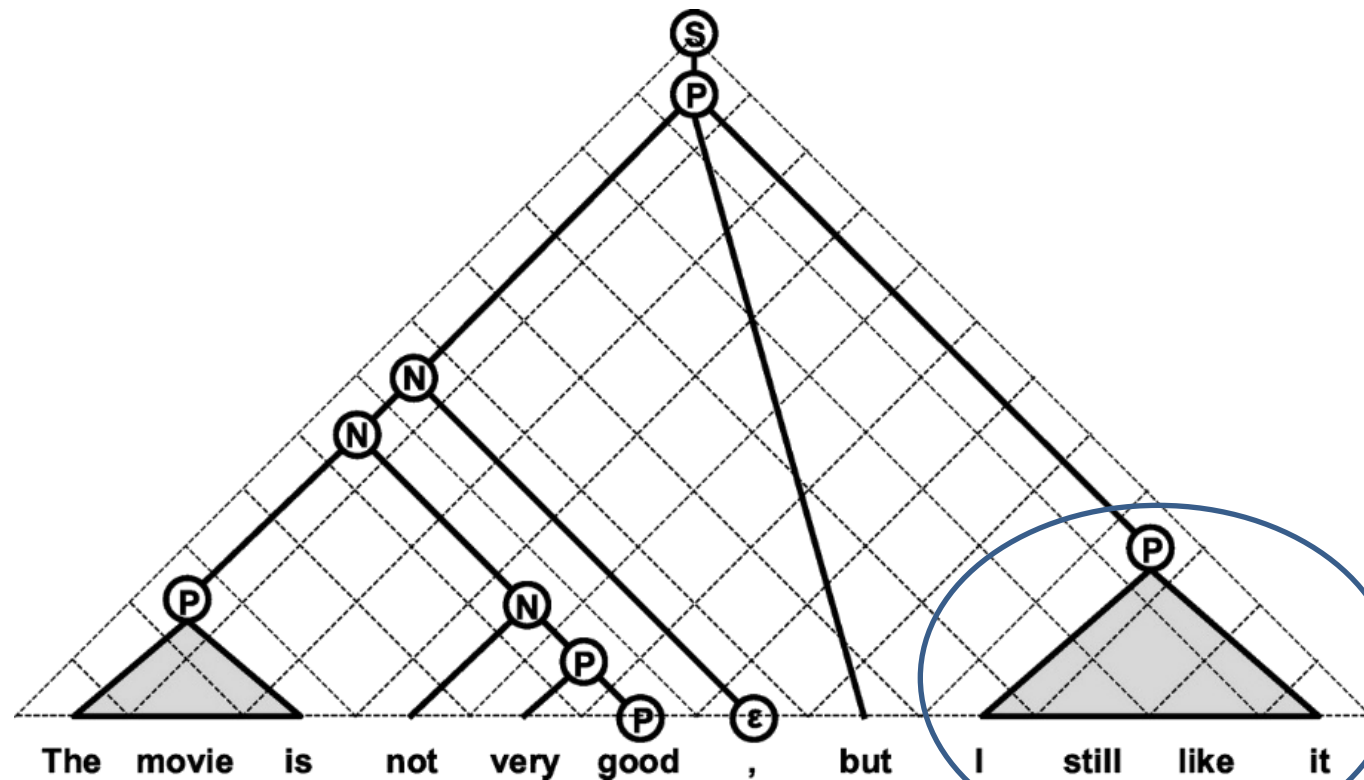


# Sentiment Grammar

- Built upon Context-Free Grammar
- $G_s = \langle V_s, \Sigma_s, S, R_s \rangle$ 
  - $V_s = \{N, P, S, E\}$ : non-terminal set
  - $\Sigma_s$ : terminal set
  - $S$ : start symbol
  - $R_s$ : rewrite rule set

# Sentiment Grammar

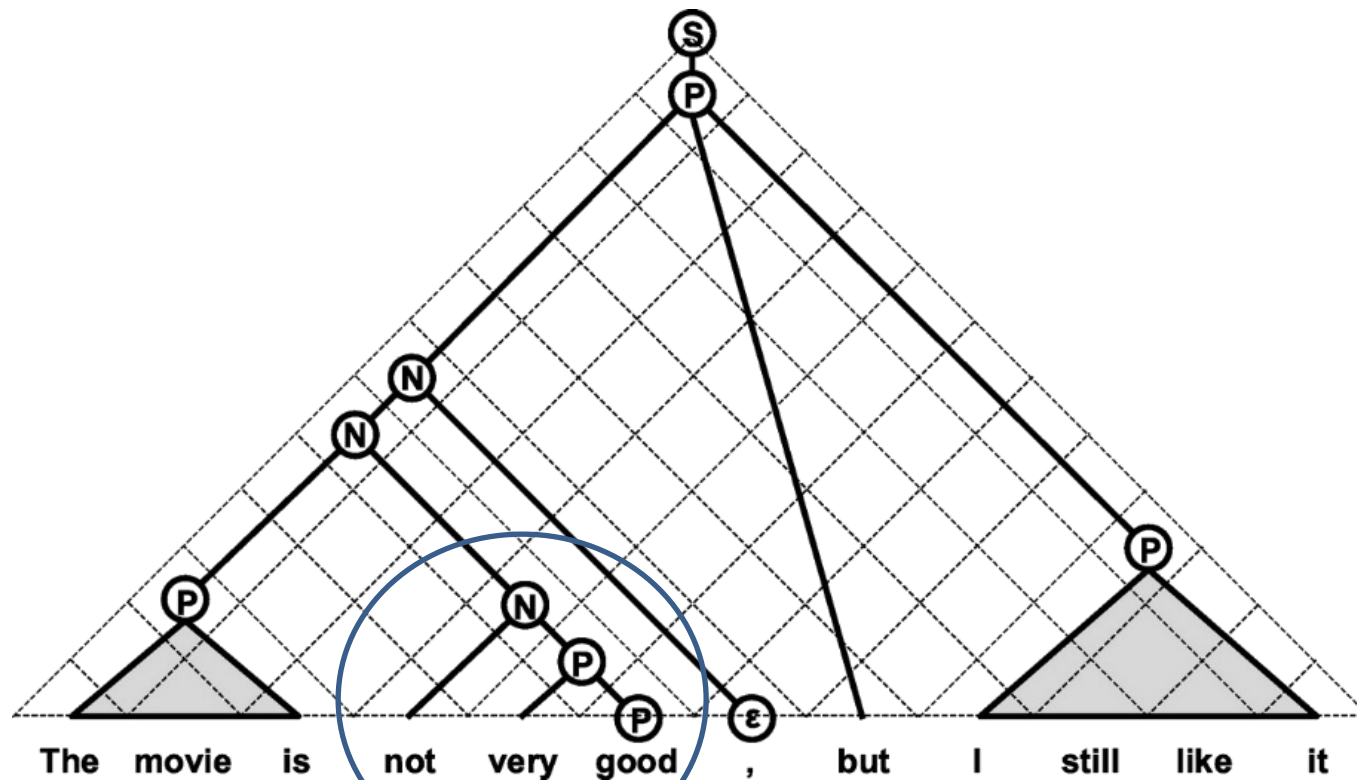
- Dictionary rules  $X \rightarrow w_0^k$ , where  $X \in \{N, P\}$ ,  $w_0^k = w_0 \dots w_{k-1}$ 
  - P -> I still like it
  - P -> good



# Sentiment Grammar

- Combination rules  $X \rightarrow c$ , where  $c \in (V_s \cup \Sigma_s)^+$ ,

- $P \rightarrow N$  but  $P$
- $P \rightarrow \text{not } P$
- $P \rightarrow \text{very } P$



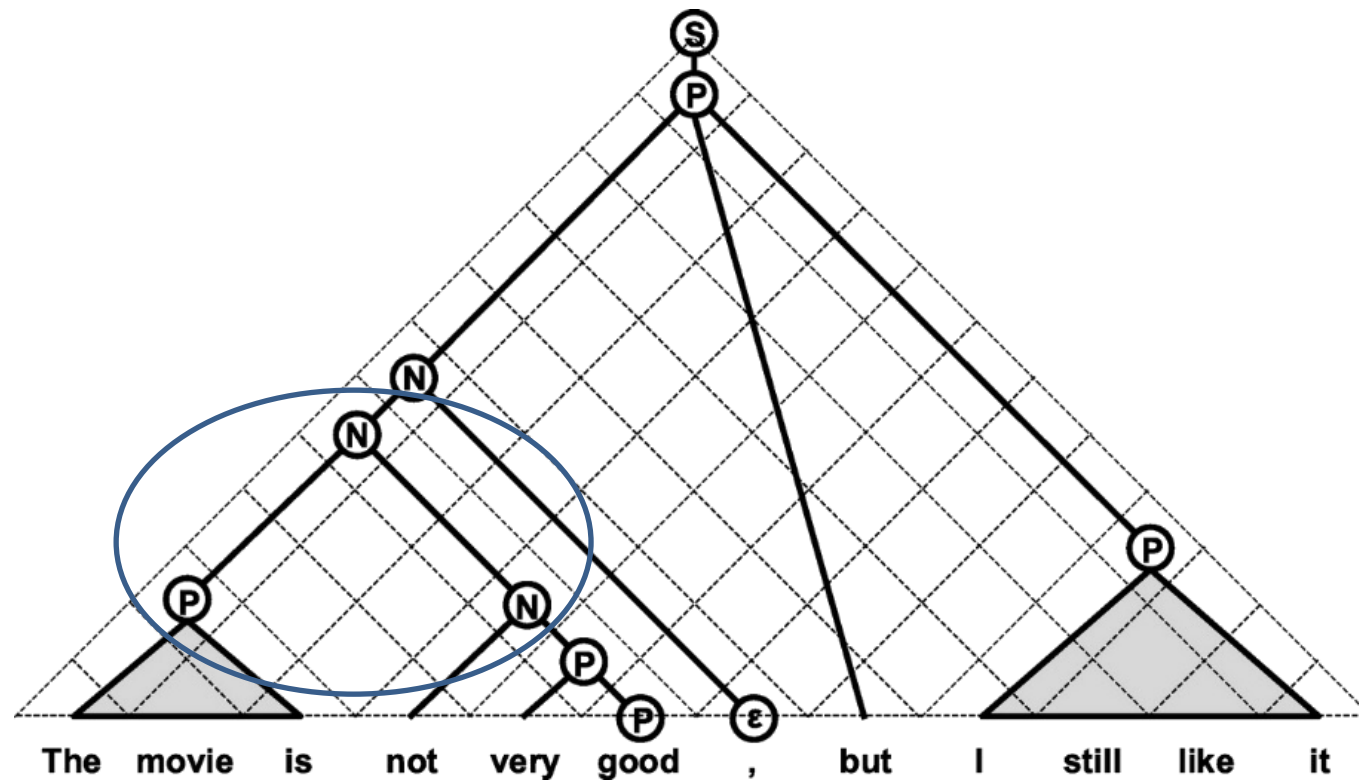
# Sentiment Grammar

- Glue rules

$X \rightarrow X_1 X_2$ , where  $X, X_1, X_2 \in \{N, P\}$

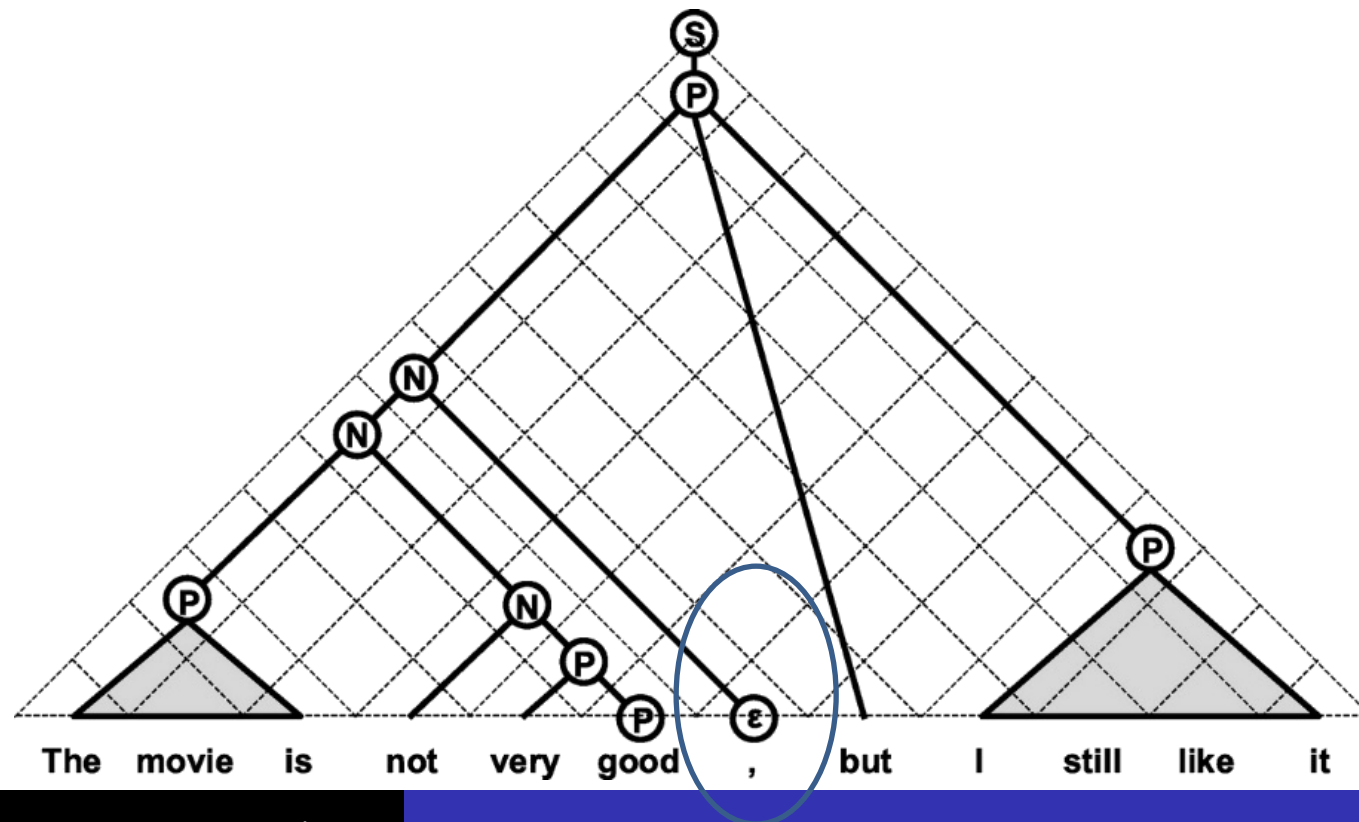
- $P \rightarrow NP$

- $N \rightarrow NN$



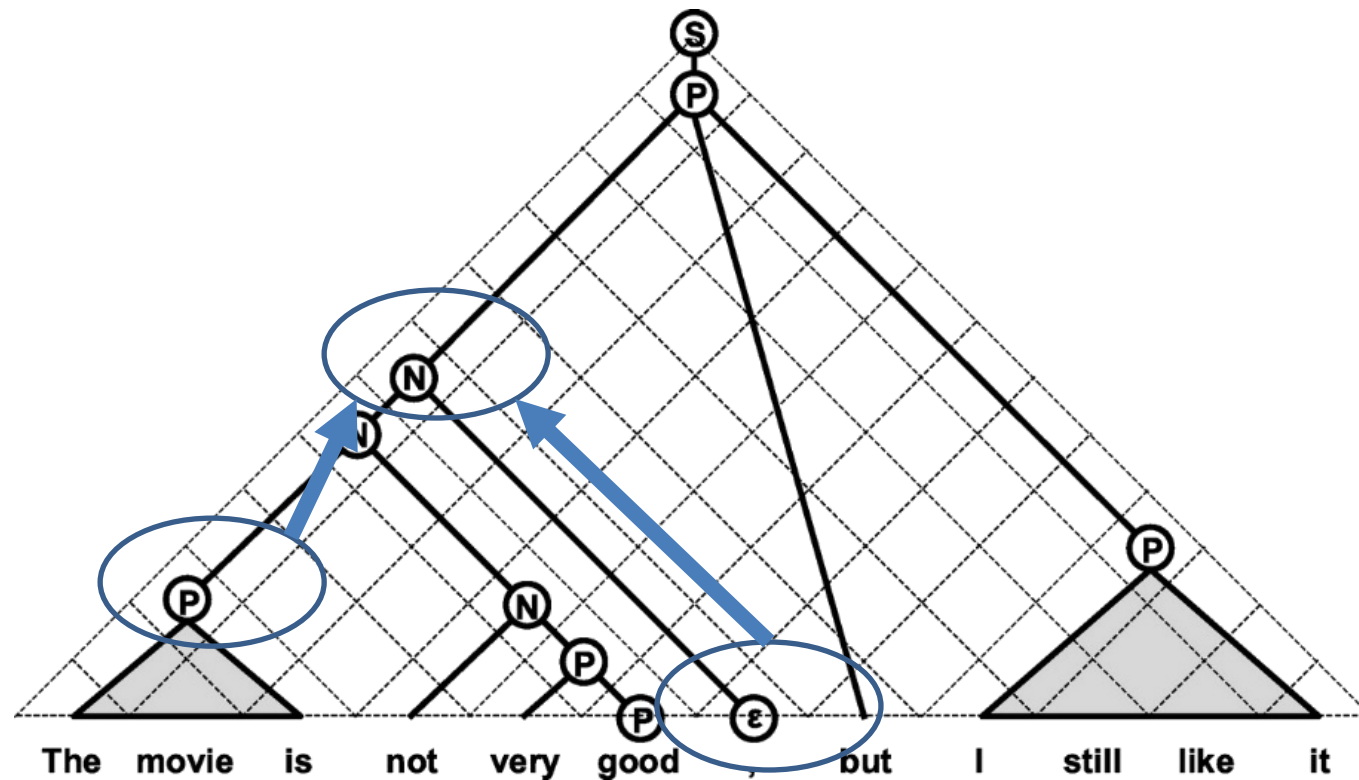
# Sentiment Grammar

- OOV rules  $\mathcal{E} \rightarrow w_0^k$ , where  $w_0^k \in \Sigma^+$ 
  - Out-Of-Vocabulary text spans



# Sentiment Grammar

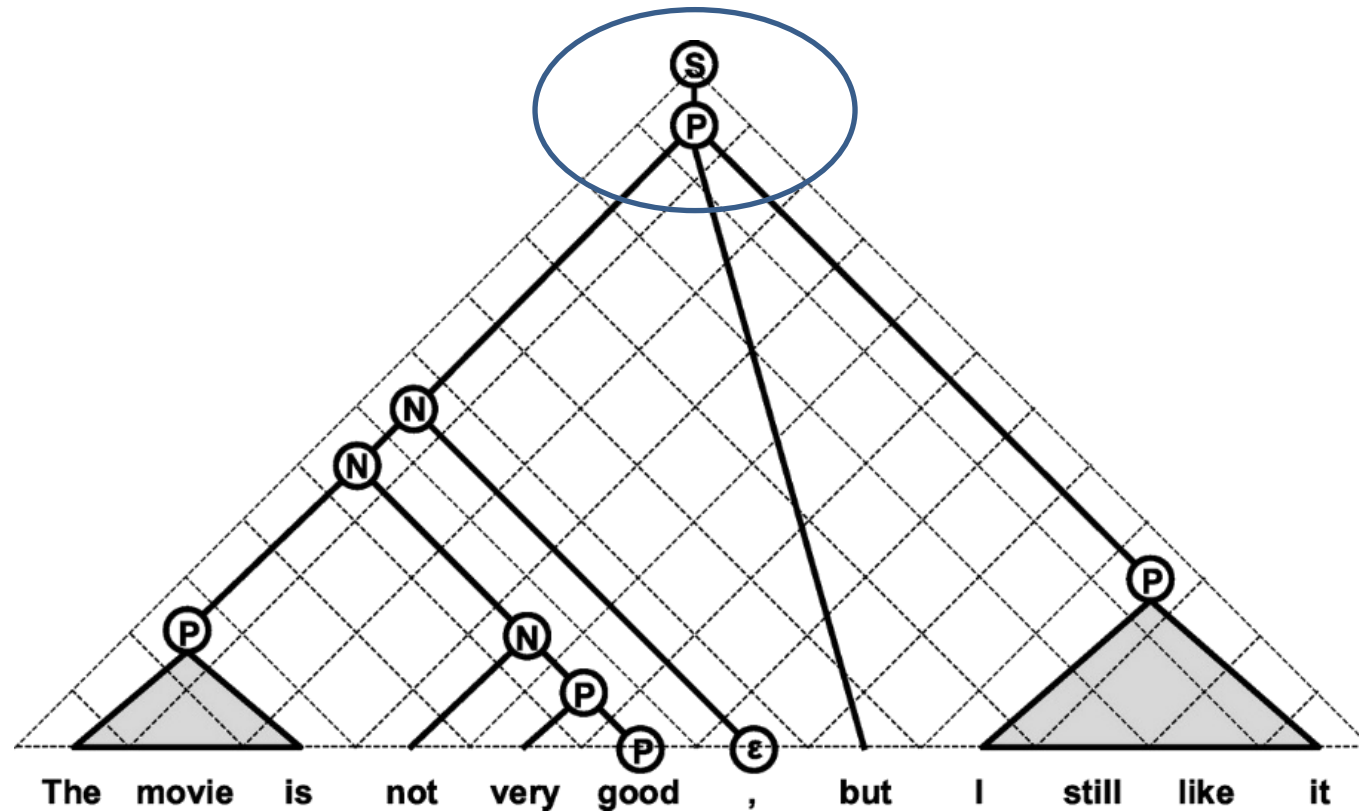
- Auxiliary rules  $X \rightarrow \varepsilon X_1, X \rightarrow X_1 \varepsilon$ , where  $X, X_1 \in \{N, P\}$ 
  - Combine out-of-vocabulary span and non-terminal





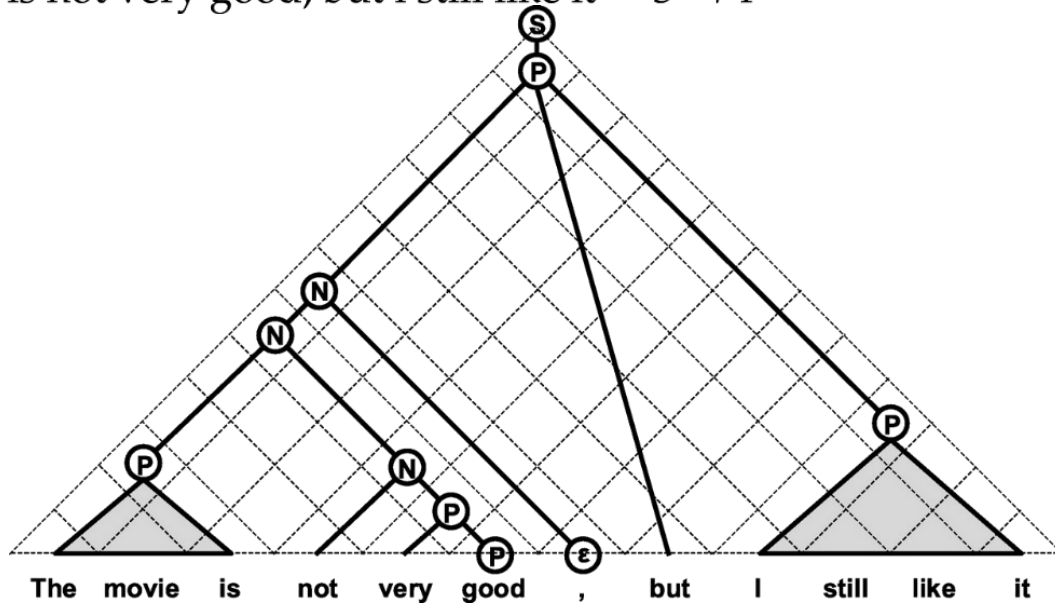
# Sentiment Grammar

- Start rules  $S \rightarrow Y$ , where  $Y \in \{N, P, \mathcal{E}\}$



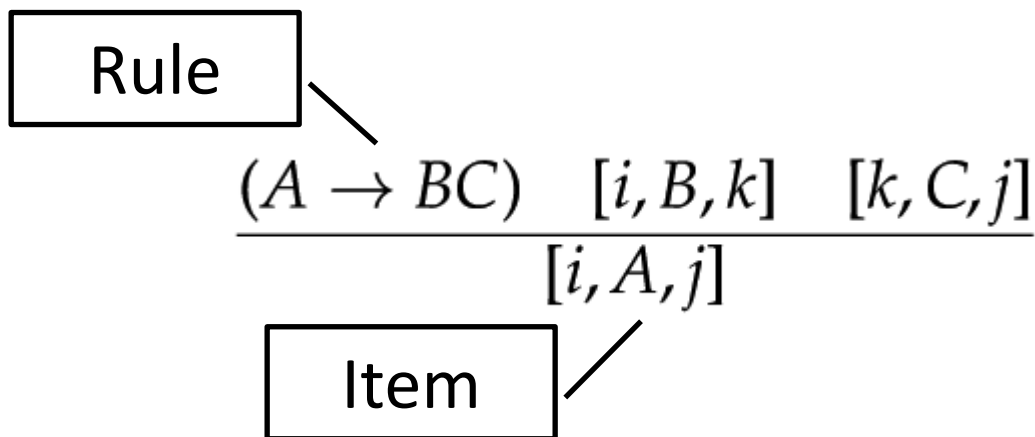
# Sentiment Grammar

Span	Rule	Strength	Polarity
$[0, P, 3]$ : the movie is	$P \rightarrow \text{the movie is}$	0.52	$\mathcal{P}$
$[5, P, 6]$ : good	$P \rightarrow \text{good}$	0.87	$\mathcal{P}$
$[6, \mathcal{E}, 7]$ : ,	$\mathcal{E} \rightarrow ,$	-	-
$[8, P, 11]$ : i still like it	$P \rightarrow \text{i still like it}$	0.85	$\mathcal{P}$
$[4, P, 6]$ : very good	$P \rightarrow \text{very } P$	0.93	$\mathcal{P}$
$[3, N, 6]$ : not very good	$N \rightarrow \text{not } P$	0.63	$\mathcal{N}$
$[0, N, 6]$ : the movie is not very good	$N \rightarrow PN$	0.60	$\mathcal{N}$
$[0, N, 7]$ : the movie is not very good,	$N \rightarrow N\mathcal{E}$	0.60	$\mathcal{N}$
$[0, P, 11]$ : the movie is not very good, but i still like it	$P \rightarrow N \text{ but } P$	0.76	$\mathcal{P}$
$[0, S, 11]$ : the movie is not very good, but i still like it	$S \rightarrow P$	0.76	$\mathcal{P}$



# Parsing Model

- Present inference rules using deductive proof systems



- If  $A \rightarrow BC$  and  $B \xRightarrow{*} w_i^k$  and  $C \xRightarrow{*} w_k^j$
- Then  $A \xRightarrow{*} w_i^j$

(Shieber, Schabes, and Pereira 1995; Goodman 1999)

# Inference Rules

$$\text{P} \rightarrow \text{good} \quad \frac{(X \rightarrow w_i^j)}{[i, X, j]}$$

$$\text{N} \rightarrow \text{not P} \quad \frac{(X \rightarrow w_i^{i_1} X_1 w_{j_1}^j) \quad [i_1, X_1, j_1]}{[i, X, j]}$$

$$\text{P} \rightarrow \text{N but P} \quad \frac{(X \rightarrow w_i^{i_1} X_1 w_{j_1}^{i_2} X_2 w_{j_2}^j) \quad [i_1, X_1, j_1] \quad [i_2, X_2, j_2]}{[i, X, j]}$$

$$\text{P} \rightarrow \text{NP} \quad \frac{(X \rightarrow X_1 X_2) \quad [i, X_1, k] \quad [k, X_2, j]}{[i, X, j]}$$

$$\text{E} \rightarrow , \quad \frac{(\mathcal{E} \rightarrow w_i^j)}{[i, \mathcal{E}, j]}$$

$$\text{P} \rightarrow \text{EP} \quad \frac{(X \rightarrow \mathcal{E} X_1) \quad [i, \mathcal{E}, k] \quad [k, X_1, j]}{[i, X, j]}$$

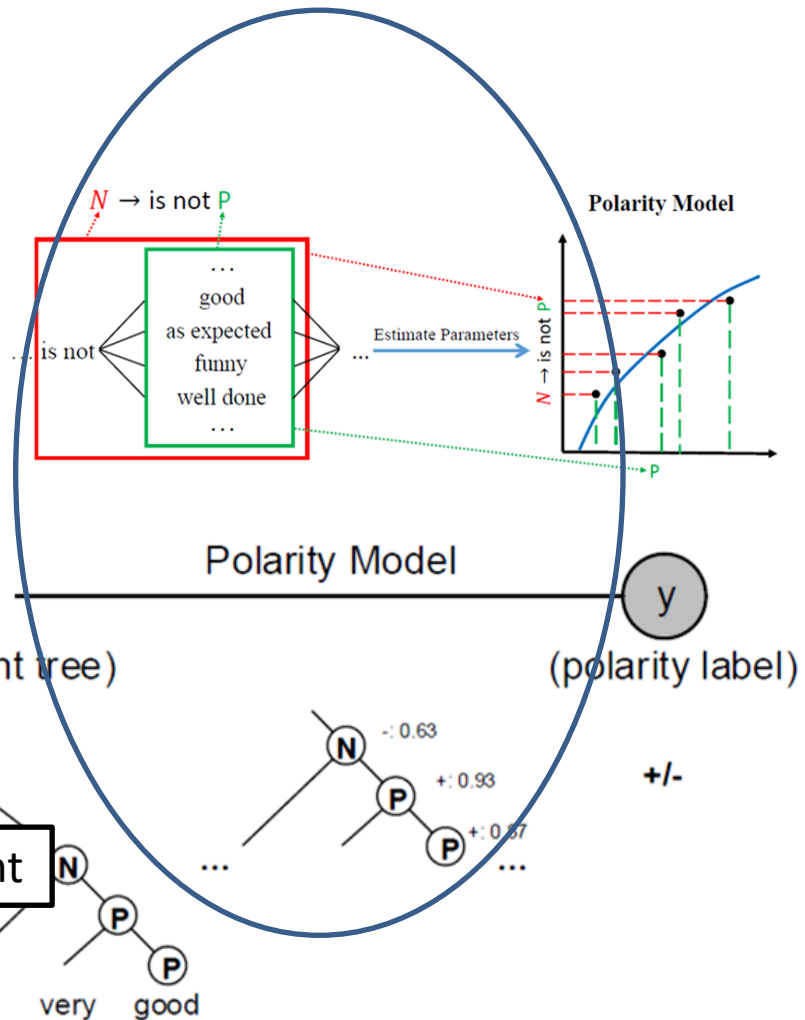
$$\text{P} \rightarrow \text{PE} \quad \frac{(X \rightarrow X_1 \mathcal{E}) \quad [i, X_1, k] \quad [k, \mathcal{E}, j]}{[i, X, j]}$$

where  $X, X_1, X_2$  represent  $N$  or  $P$ .

$$\begin{array}{c}
\frac{(X \rightarrow w_i^j)}{[i, X, j]P(\mathcal{X}|w_i^j) = \bar{P}(\mathcal{X}|w_i^j)} C_1 \\
\frac{(X \rightarrow w_i^{j_1} X_1 w_{j_1}^j) \quad [i_1, X_1, j_1]\Phi_1}{[i, X, j]P(\mathcal{X}|w_i^j) = h(\theta_0 + \theta_1 P(\mathcal{X}_1|w_{j_1}^{j_1}))} C_1 \wedge C_2 \\
\frac{(X \rightarrow w_i^{j_1} X_1 w_{j_1}^{j_2} X_2 w_{j_2}^j) \quad [i_1, X_1, j_1]\Phi_1 \quad [i_2, X_2, j_2]\Phi_2}{[i, X, j]P(\mathcal{X}|w_i^j) = h(\theta_0 + \theta_1 P(\mathcal{X}_1|w_{j_1}^{j_1}) + \theta_2 P(\mathcal{X}_2|w_{j_2}^{j_2}))} C_1 \wedge C_2 \\
\frac{(\mathcal{E} \rightarrow \dots)}{[i, \mathcal{E}, j]} C_1 \\
\frac{(X \rightarrow \mathcal{E} X_1) \quad [i, \mathcal{E}, k] \circ [k, X_1, j]\Phi_1}{[i, X, j]P(\mathcal{X}|w_i^j) = P(\mathcal{X}|w_k^j)} C_1 \\
\frac{(X \rightarrow X_1 \mathcal{E}) \quad [i, X_1, k]\Phi_1 \quad [k, \mathcal{E}, j] \circ}{[i, X, j]P(\mathcal{X}|w_i^j) = P(\mathcal{X}|w_k^j)} C_1
\end{array}$$

## Sentiment Grammar

where  $h(x) = \frac{1}{1 + \exp\{-x\}}$  is a logistic function,  $\circ$  represents the absence, and  $X, X_1, X_2$  represent  $N$  or  $P$ . As specified in the polarity model, we have  $P(\bar{\mathcal{X}}|w_i^j) = 1 - P(\mathcal{X}|w_i^j)$ .



# Polarity Model

- Calculate polarity strength from subspans

$$\frac{(r) \quad H_1 \quad \dots \quad H_K}{[i, X, j]}$$



$$\frac{(r) \quad H_1 \Phi_1 \quad \dots \quad H_K \Phi_K}{[i, X, j] \Phi}$$

$$\text{polarity strength } \Phi_k : \begin{cases} P(\mathcal{N} | w_{i_k}^{j_k}) \\ P(\mathcal{P} | w_{i_k}^{j_k}) \end{cases} \quad \text{for text span } w_{i_k}^{j_k}$$

- Polarity model:  $\Phi(r, \Phi_1, \dots, \Phi_K)$

# Polarity Model

- Two constraints for polarity strength
  - Non-negative  $P(\mathcal{X}|w_i^j) \geq 0, P(\overline{\mathcal{X}}|w_i^j) \geq 0$
  - Normalized to 1  $P(\mathcal{X}|w_i^j) + P(\overline{\mathcal{X}}|w_i^j) = 1$





# Polarity Model

- Glue rules

$X \rightarrow X_1 X_2$ , where  $X, X_1, X_2 \in \{N, P\}$

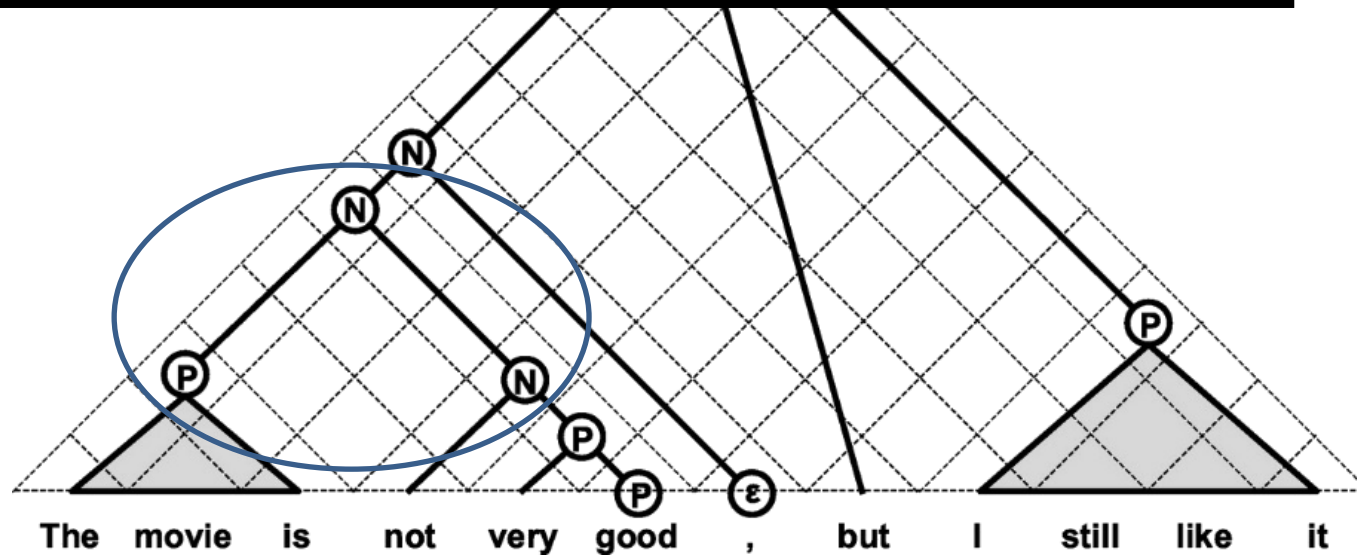
- P->NP

- P->PN

- P->PP

- N->NN

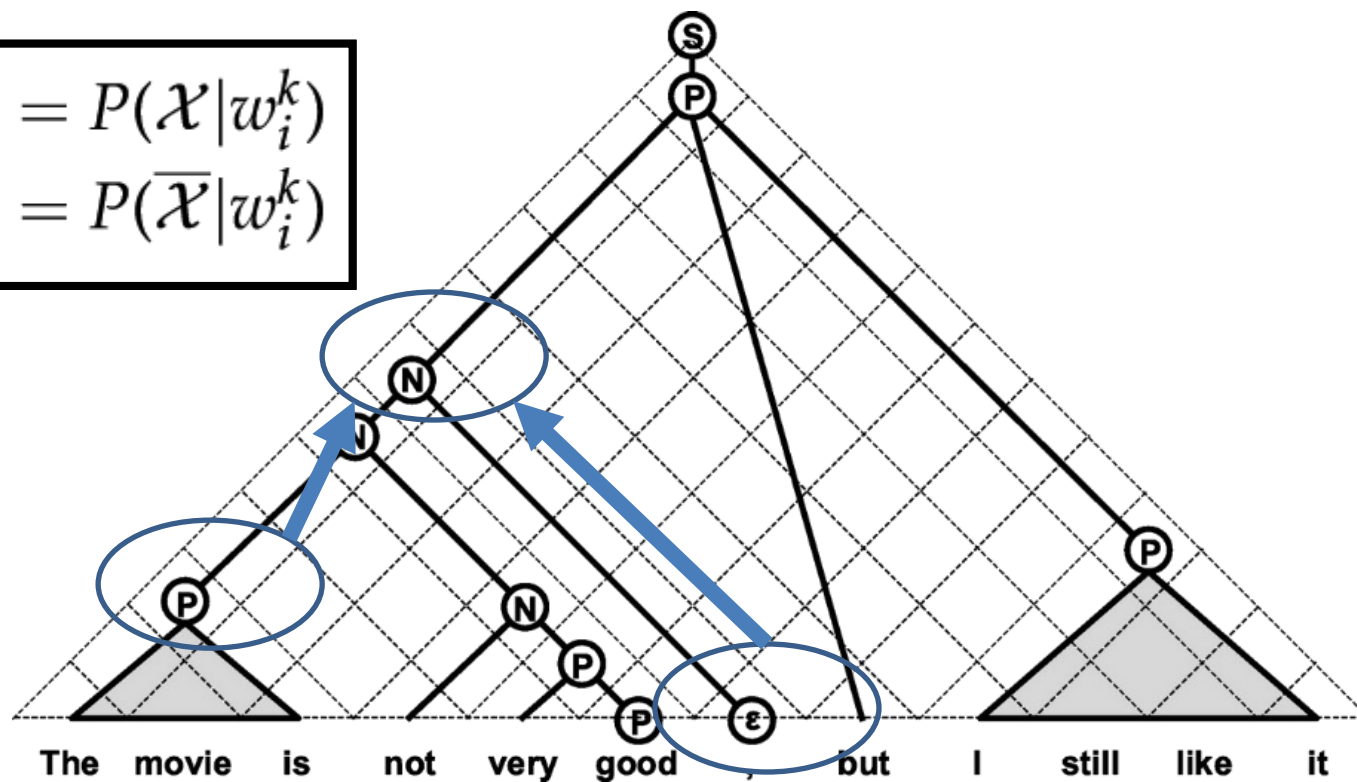
$$\Phi : \begin{cases} P(\mathcal{X}|w_i^j) = \frac{P(\mathcal{X}|w_i^k)P(\mathcal{X}|w_k^j)}{P(\mathcal{X}|w_i^k)P(\mathcal{X}|w_k^j) + P(\bar{\mathcal{X}}|w_i^k)P(\bar{\mathcal{X}}|w_k^j)} \\ P(\bar{\mathcal{X}}|w_i^j) = 1 - P(\mathcal{X}|w_i^j) \end{cases}$$



# Polarity Model

- Auxiliary rules  $X \rightarrow \mathcal{E}X_1, X \rightarrow X_1\mathcal{E}$ , where  $X, X_1 \in \{N, P\}$ 
  - Combine OOV span and non-terminal
  - OOV span is ignored

$$\Phi : \begin{cases} P(\mathcal{X}|w_i^j) = P(\mathcal{X}|w_i^k) \\ P(\bar{\mathcal{X}}|w_i^j) = P(\bar{\mathcal{X}}|w_i^k) \end{cases}$$



# Polarity Model

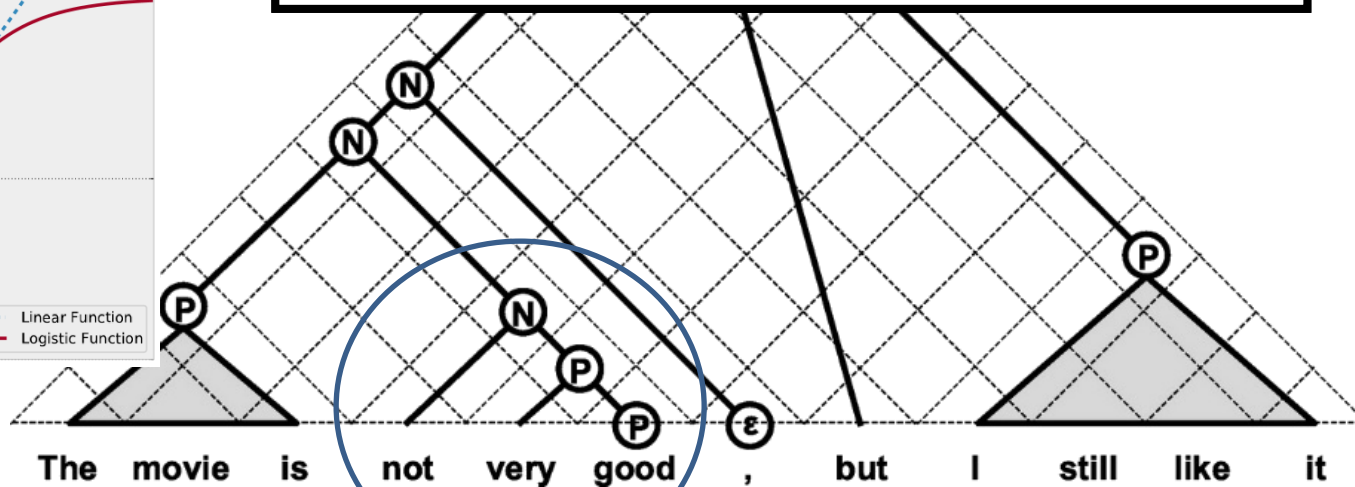
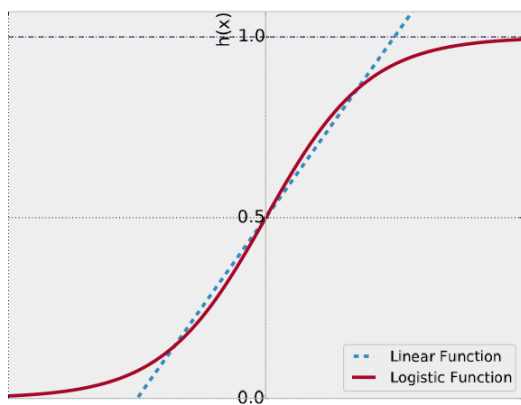
- Combination rules

- P->N but P
- P->not P
- P-> very P

- Logistic regression

$X \rightarrow c$ , where  $c \in (V_s \cup \Sigma_s)^+$ ,

$$P(\mathcal{X}|w_i^j) = h \left( \theta_0 + \sum_{k=1}^K \theta_k P(\mathcal{X}_k|w_{i_k}^{j_k}) \right) \\ = \frac{1}{1 + \exp \left\{ - \left( \theta_0 + \sum_{k=1}^K \theta_k P(\mathcal{X}_k|w_{i_k}^{j_k}) \right) \right\}}$$



# Why is logistic regression good?

- Negation (N- $\rightarrow$ not P)
  - Switch negation (Choi and Cardie 2008; Sauri 2008)
    - Simply reverse strength
    - $P(\text{Neg} | \text{not good}) = P(\text{Pos} | \text{good})$
  - Shift negation (Taboada et al. 2011)
    - Problem:  $P(\text{Neg} | \text{not very good}) > P(\text{Neg} | \text{not good})$
    - Solution:  $P(\text{Neg} | \text{not good}) = P(\text{Pos} | \text{good}) - \text{fixed\_value}$

Parameter	Negation Type	
	Shift	Switch
$\theta_0$ (Shift item)	✓	
$\theta_1$ (Scale item)		✓

# Why is logistic regression good?

- Intensification (P-→extremely P)
  - Fixed intensification (Polanyi and Zaenen 2006; Kennedy and Inkpen 2006)
    - $P(\text{Pos}|\text{very good}) = P(\text{Pos}|\text{good}) + \text{fixed\_value} (>0)$
  - Percentage intensification (Taboada et al. 2011)
    - $P(\text{Pos}|\text{very good}) = P(\text{Pos}|\text{good}) * \text{fixed\_value} (!=1)$

Parameter	Intensification Type	
	$P(\mathcal{X} w_i^j) = h(\theta_0 + \theta_1 P(\mathcal{X} w_{i_1}^{j_1}))$	
	Percentage	Fixed
$\theta_0$ (Shift item)		✓
$\theta_1$ (Scale item)	✓	

# Why is logistic regression good?

- Reasons

- Smooth polarity strength to (0,1)
- Can learn various types of negation and intensification
- Can handle contrast ( $P \rightarrow N$  but  $P$ )

# Inference Rules (w/ Polarity Model)

$$\text{P} \rightarrow \text{good} \quad \frac{(X \rightarrow w_i^j)}{[i, X, j]P(\mathcal{X}|w_i^j) = \tilde{P}(\mathcal{X}|w_i^j)}$$

$$\text{N} \rightarrow \text{not P} \quad \frac{(X \rightarrow w_i^{j_1} X_1 w_{j_1}^j) \quad [i_1, X_1, j_1]\Phi_1}{[i, X, j]P(\mathcal{X}|w_i^j) = h(\theta_0 + \theta_1 P(\mathcal{X}_1|w_{i_1}^{j_1}))}$$

$$\text{P} \rightarrow \text{N but P} \quad \frac{(X \rightarrow w_i^{j_1} X_1 w_{j_1}^{j_2} X_2 w_{j_2}^j) \quad [i_1, X_1, j_1]\Phi_1 \quad [i_2, X_2, j_2]\Phi_2}{[i, X, j]P(\mathcal{X}|w_i^j) = h(\theta_0 + \theta_1 P(\mathcal{X}_1|w_{i_1}^{j_1}) + \theta_2 P(\mathcal{X}_2|w_{i_2}^{j_2}))}$$

$$\text{P} \rightarrow \text{NP} \quad \frac{(X \rightarrow X_1 X_2) \quad [i, X_1, k]\Phi_1 \quad [k, X_2, j]\Phi_2}{[i, X, j]P(\mathcal{X}|w_i^j) = \frac{P(\mathcal{X}|w_i^k)P(\mathcal{X}|w_k^j)}{P(\mathcal{X}|w_i^k)P(\mathcal{X}|w_k^j) + P(\bar{\mathcal{X}}|w_i^k)P(\bar{\mathcal{X}}|w_k^j)}}$$

$$\text{E} \rightarrow , \quad \frac{(\mathcal{E} \rightarrow w_i^j)}{[i, \mathcal{E}, j] \circ}$$

$$\text{P} \rightarrow \text{EP} \quad \frac{(X \rightarrow \mathcal{E} X_1) \quad [i, \mathcal{E}, k] \circ \quad [k, X_1, j]\Phi_1}{[i, X, j]P(\mathcal{X}|w_i^j) = P(\mathcal{X}|w_k^j)}$$

$$\text{P} \rightarrow \text{PE} \quad \frac{(X \rightarrow X_1 \mathcal{E}) \quad [i, X_1, k]\Phi_1 \quad [k, \mathcal{E}, j] \circ}{[i, X, j]P(\mathcal{X}|w_i^j) = P(\mathcal{X}|w_k^j)}$$

# Constraints (in Parsing Model)

- Add side condition C for inference rules

$$\frac{(r) \quad H_1\Phi_1 \quad \dots \quad H_K\Phi_K}{[i, X, j]\Phi}$$



$$\frac{(r) \quad H_1\Phi_1 \quad \dots \quad H_K\Phi_K}{[i, X, j]\Phi} C$$



# Constraints (in Parsing Model)

$$\frac{(r) \quad H_1\Phi_1 \quad \dots \quad H_K\Phi_K}{[i, X, j]\Phi} C$$

- Polarity should be consistent with non-terminal

$$C_1 : P(\mathcal{X}|w_i^j) > P(\overline{\mathcal{X}}|w_i^j)$$

polarity label of non-terminal  $X$  as  $\mathcal{X}$

- Avoid improperly using combination rules for neutral phrase

- Do not use P-> a lot of P for P-&gta lot of people

$$C_2 : P(\mathcal{X}_k|w_{i_k}^{j_k}) > \text{threshold } \tau (\geq 0.5)$$

# Inference Rules (w/ Polarity Model and Constraints)

$$\text{P} \rightarrow \text{good} \quad \frac{(X \rightarrow w_i^j)}{[i, X, j]P(\mathcal{X}|w_i^j) = \tilde{P}(\mathcal{X}|w_i^j)} C_1$$

$$\text{N} \rightarrow \text{not P} \quad \frac{(X \rightarrow w_i^{i_1} X_1 w_{j_1}^j) \quad [i_1, X_1, j_1]\Phi_1}{[i, X, j]P(\mathcal{X}|w_i^j) = h(\theta_0 + \theta_1 P(\mathcal{X}_1|w_{i_1}^{j_1}))} C_1 \wedge C_2$$

$$\text{P} \rightarrow \text{N but P} \quad \frac{(X \rightarrow w_i^{i_1} X_1 w_{j_1}^{i_2} X_2 w_{j_2}^j) \quad [i_1, X_1, j_1]\Phi_1 \quad [i_2, X_2, j_2]\Phi_2}{[i, X, j]P(\mathcal{X}|w_i^j) = h(\theta_0 + \theta_1 P(\mathcal{X}_1|w_{i_1}^{j_1}) + \theta_2 P(\mathcal{X}_2|w_{i_2}^{j_2}))} C_1 \wedge C_2$$

$$\text{P} \rightarrow \text{NP} \quad \frac{(X \rightarrow X_1 X_2) \quad [i, X_1, k]\Phi_1 \quad [k, X_2, j]\Phi_2}{[i, X, j]P(\mathcal{X}|w_i^j) = \frac{P(\mathcal{X}|w_i^k)P(\mathcal{X}|w_k^j)}{P(\mathcal{X}|w_i^k)P(\mathcal{X}|w_k^j) + P(\bar{\mathcal{X}}|w_i^k)P(\bar{\mathcal{X}}|w_k^j)}} C_1$$

$$\text{E} \rightarrow , \quad \frac{(\mathcal{E} \rightarrow w_i^j)}{[i, \mathcal{E}, j] \circ} \circ$$

$$\text{P} \rightarrow \text{EP} \quad \frac{(X \rightarrow \mathcal{E} X_1) \quad [i, \mathcal{E}, k] \circ \quad [k, X_1, j]\Phi_1}{[i, X, j]P(\mathcal{X}|w_i^j) = P(\mathcal{X}|w_k^j)} C_1$$

$$\text{P} \rightarrow \text{PE} \quad \frac{(X \rightarrow X_1 \mathcal{E}) \quad [i, X_1, k]\Phi_1 \quad [k, \mathcal{E}, j] \circ}{[i, X, j]P(\mathcal{X}|w_i^j) = P(\mathcal{X}|w_k^j)} C_1$$

# Ranking Model

- Parsing model generates many candidates  $T(s)$
- Use log-linear model to rank and score  $T(s)$

The diagram shows the equation  $p(t|s; T, \psi) = \exp \{ \phi(s, t)^T \psi - A(\psi; s, T) \}$  with three labels in boxes pointing to specific parts: 'Weight' points to  $\psi$ , 'Feature' points to  $\phi(s, t)$ , and 'Log-partition function' points to  $A(\psi; s, T)$ .

$$p(t|s; T, \psi) = \exp \{ \phi(s, t)^T \psi - A(\psi; s, T) \}$$

Weight

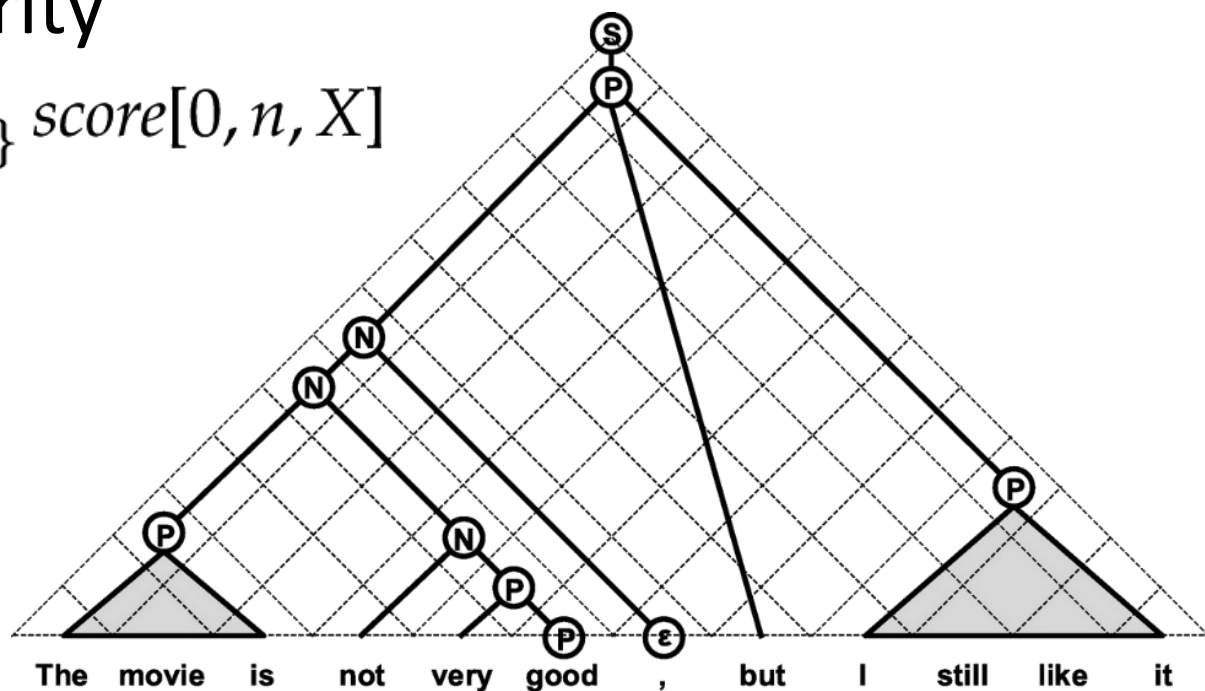
Feature

Log-partition function

# Bottom-Up Decoding

- Ranking features decompose along trees
- CYK algorithm can be used to conduct decoding
  - Dynamic programming
- Predicted polarity

$$\arg \max_{\chi \in \{N, P\}} \text{score}[0, n, X]$$



# Ranking Model Training

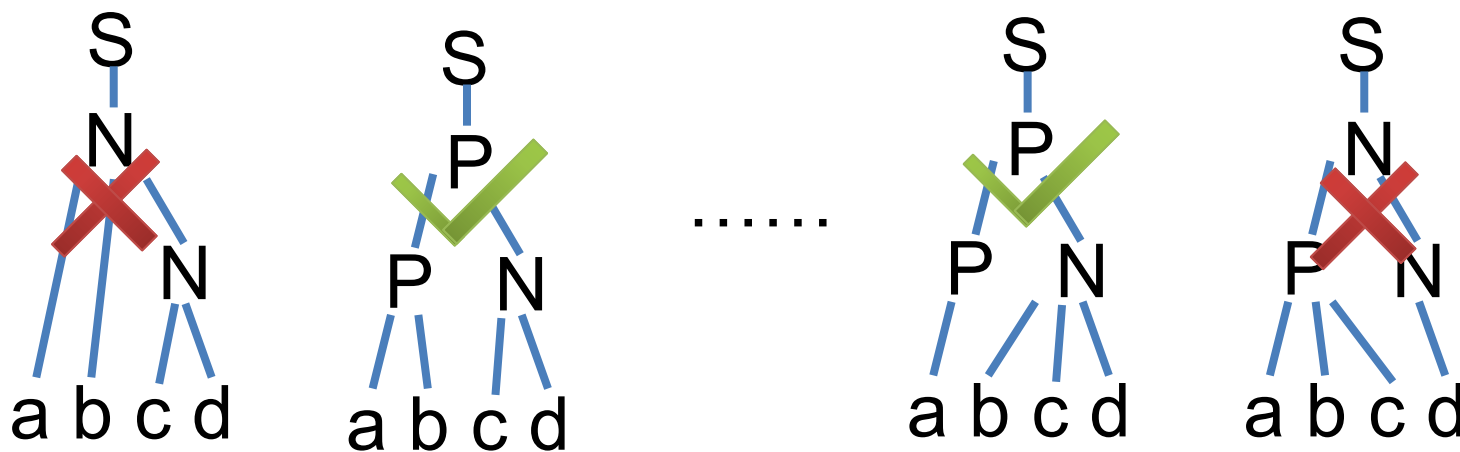
- Maximize probability of decoding correct labels

$$\mathcal{O}(\psi, T) = \sum_{\substack{(s, \mathcal{L}_s) \in \mathcal{D} \\ T^{\mathcal{L}_s}(s) \neq \emptyset}} \log p(\mathcal{L}_s | s; T, \psi) - \frac{\lambda}{2} \|\psi\|_2^2$$

Regularizer

Log-likelihood of trees obtaining the correct polarity label

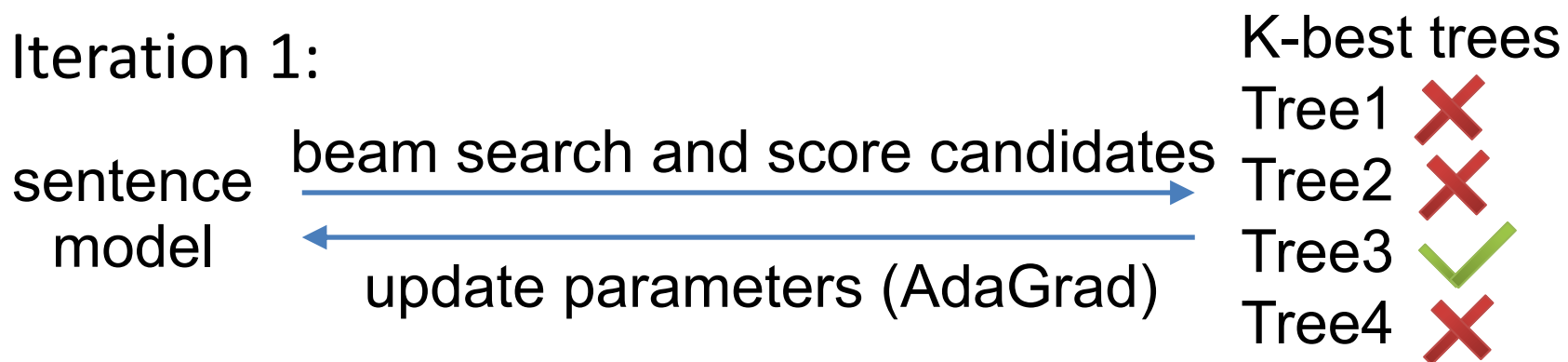
- Example: (a b c d, P)



# Learning Ranking Model

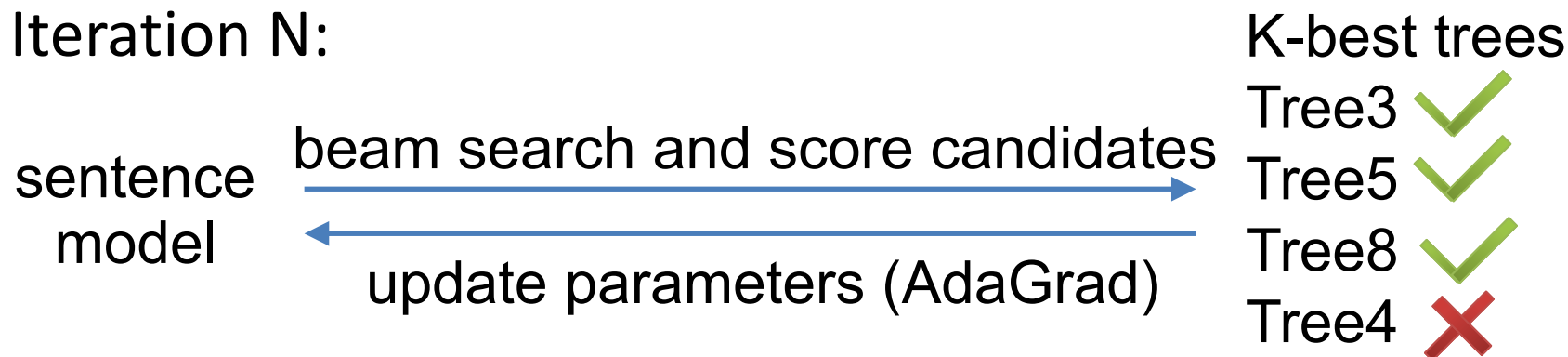
- EM-like training (Liang, Jordan, and Klein 2013)

- Iteration 1:



- .....

- Iteration N:



# Learning Sentiment Grammar and Polarity Model

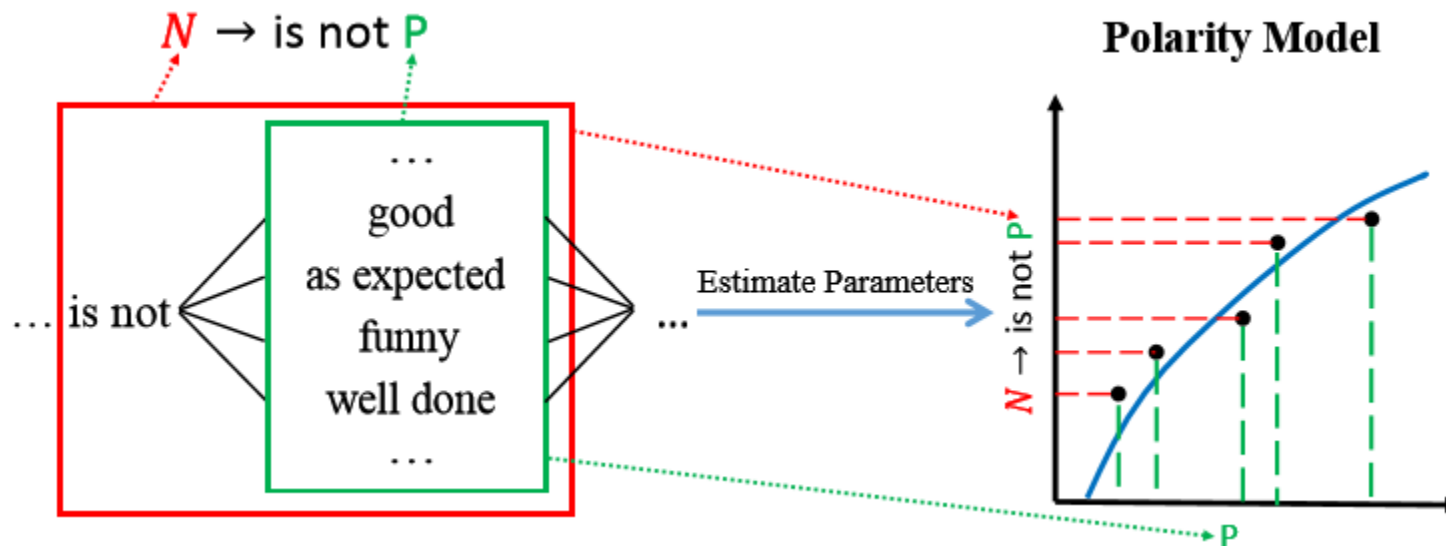
- Dictionary rules (P->good, N->i dislike this)
  - Mine frequent fragments as candidates
  - Prune them using polarity strength

$$P(\mathcal{X}|f) = \frac{\#(f, \mathcal{X}) + 1}{\#(f, \mathcal{N}) + \#(f, \mathcal{P}) + 2}$$

- Problem
  - This is not a **good** movie. (negative)
- Solution
  - Consider negation rules when learning polarity model for dictionary rules

# Learning Sentiment Grammar and Polarity Model

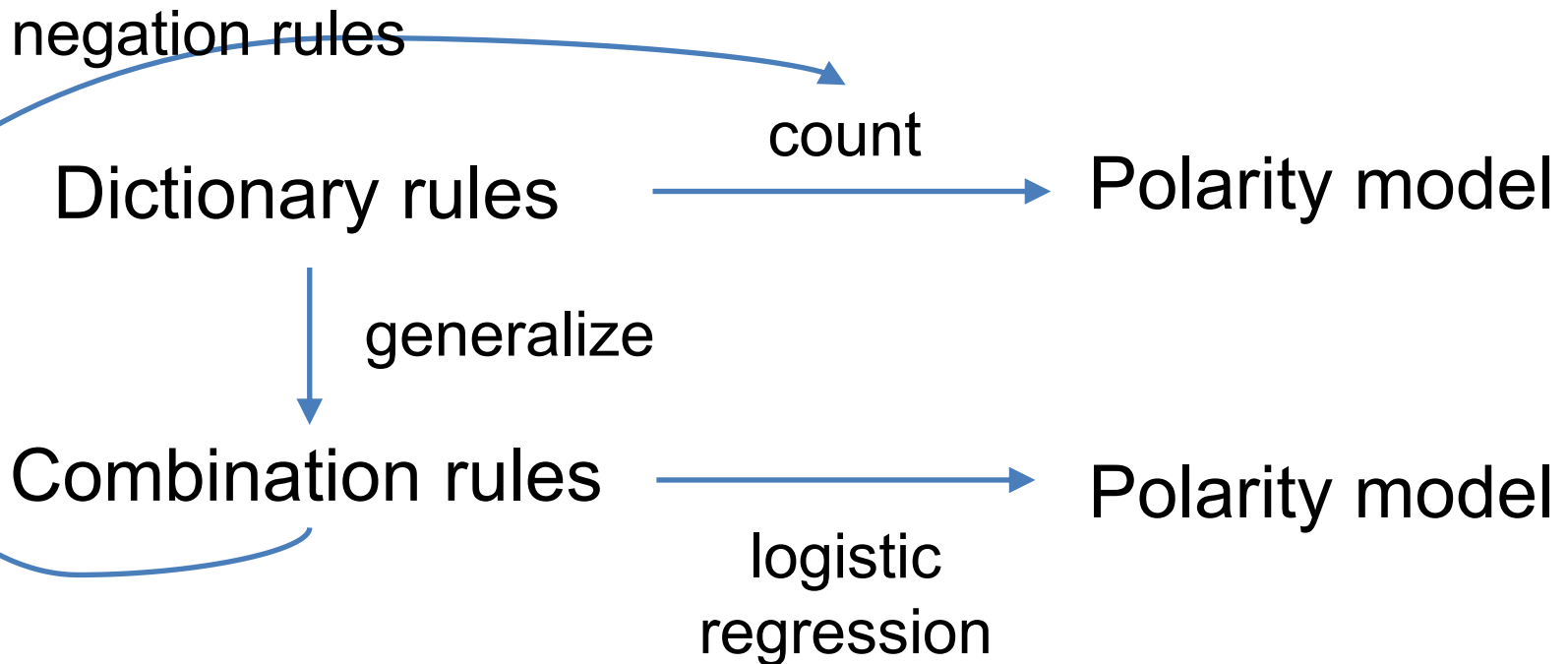
- Combination rules ( $N \rightarrow \text{not } P$ )
  - Generalize dictionary rules
  - Polarity model: logistic regression





# Learning Sentiment Grammar and Polarity Model

- Iteration process

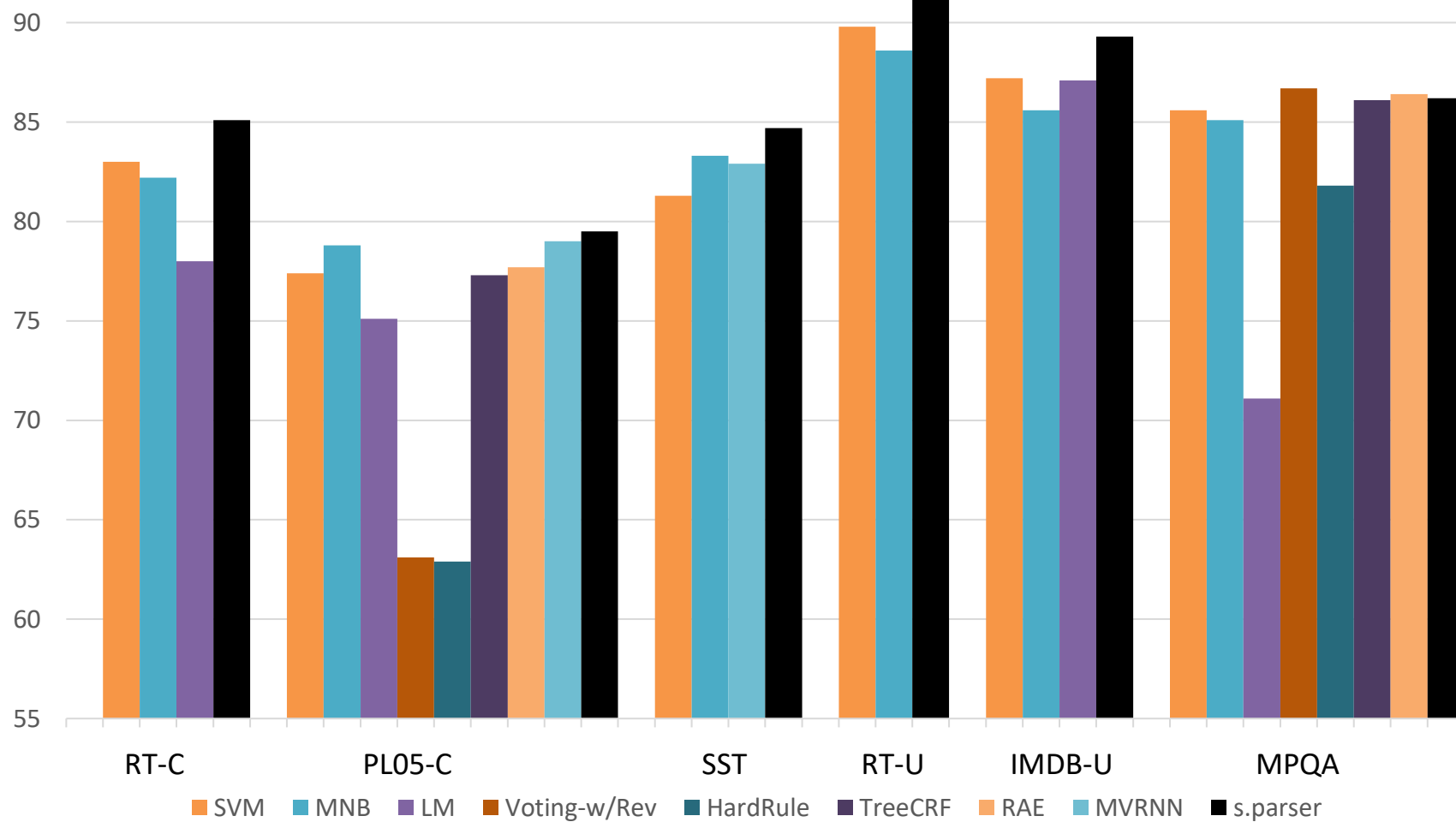


# Experiments

- Datasets

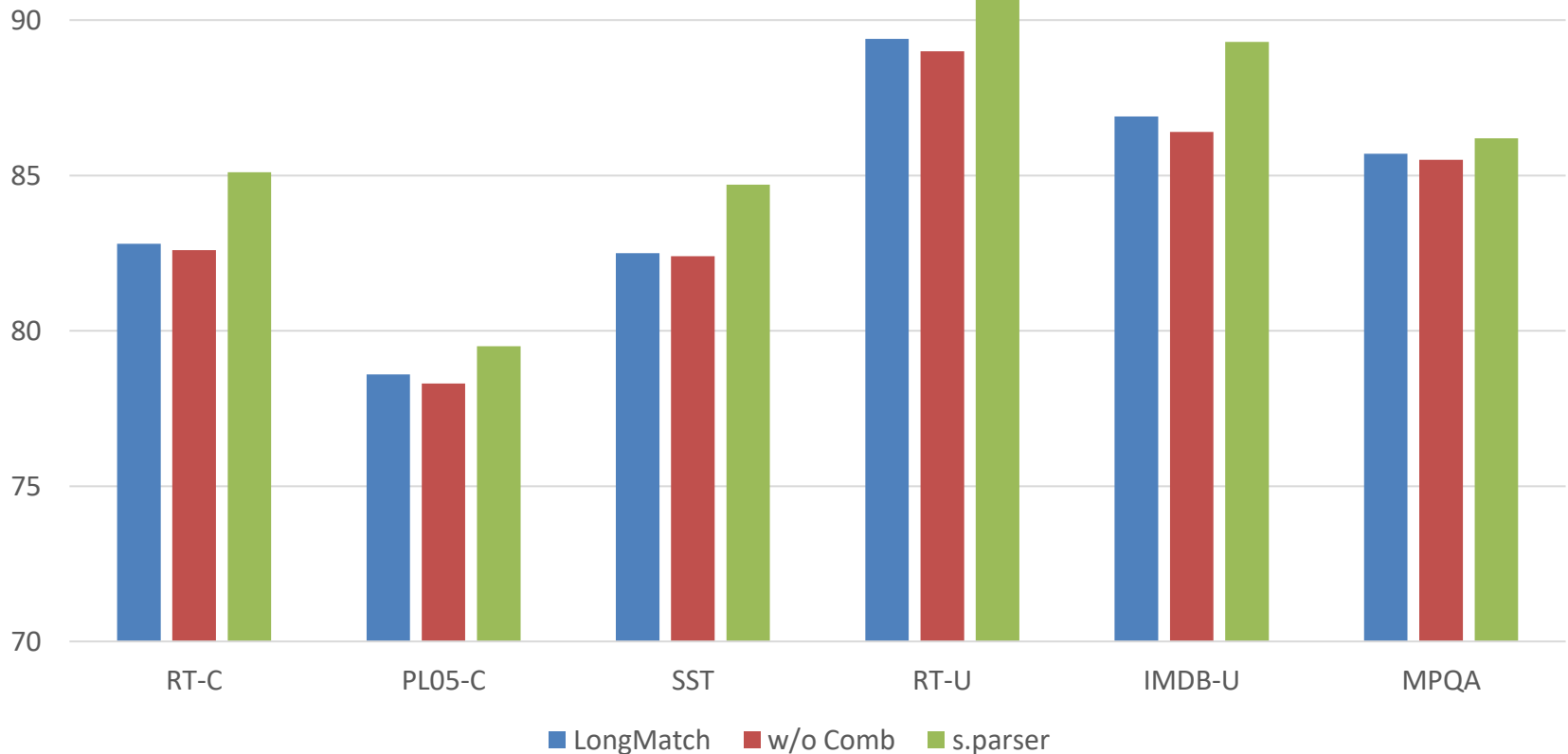
		Data Set	Size	#Negative	#Positive	$l_{avg}$	$ V $
critic reviews	{	RT-C	436,000	218,000	218,000	23.2	136,006
		PL05-C	10,662	5,331	5,331	21.0	20,263
		SST	98,796	42,608	56,188	7.5	16,372
user reviews	{	RT-U	737,806	368,903	368,903	15.4	138,815
		IMDB-U	600,000	300,000	300,000	6.6	83,615
		MPQA	10,624	7,308	3,316	3.1	5,992

# Experiments



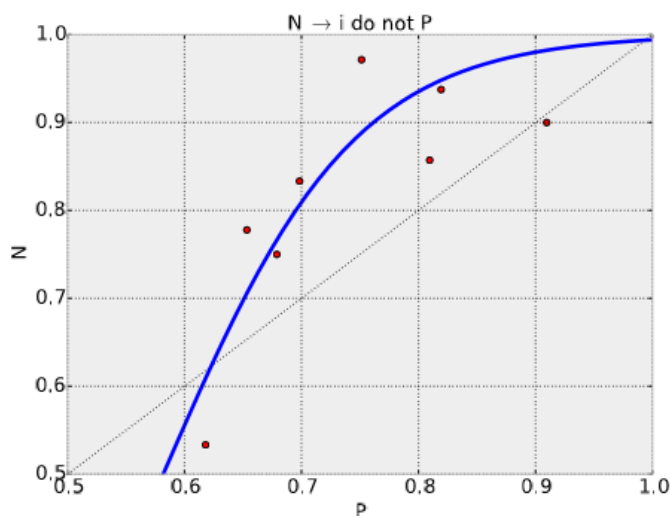
# Ablation

- Heuristic ranking trees
- Without combination rules

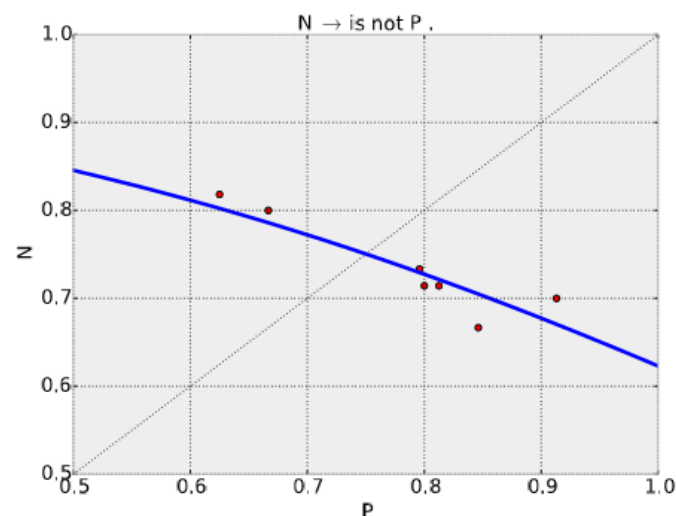


# Combination Rules

- Switch negation (Choi and Cardie 2008; Sauri 2008)
  - Simply reverse strength
  - $P(\text{Neg} | i \text{ do not like}) = P(\text{Pos} | \text{like})$
- Shift negation (Taboada et al. 2011)
  - $P(\text{Neg} | \text{is not good}) = P(\text{Pos} | \text{good}) - \text{fixed\_value}$



(a)  $N \rightarrow i \text{ do not } P$



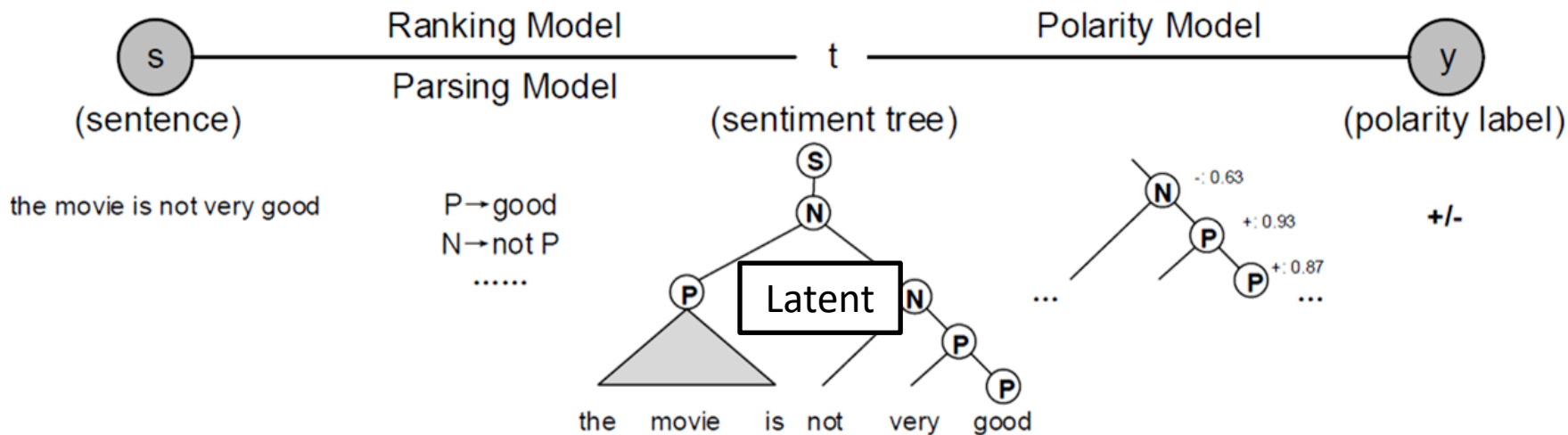
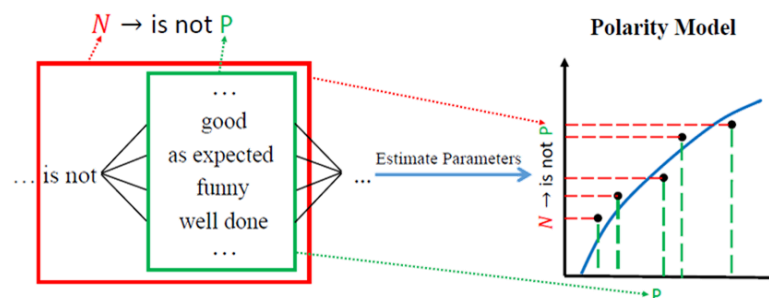
(b)  $N \rightarrow \text{is not } P$

# Conclusion

$$\begin{aligned}
 & \frac{(X \rightarrow w_i^j)}{[i, X, j]P(\mathcal{X}|w_i^j) = \tilde{P}(\mathcal{X}|w_i^j)} C_1 \\
 & \frac{(X \rightarrow w_i^{i_1} X_1 w_{j_1}^{j_1}) \quad [i_1, X_1, j_1]\Phi_1}{[i, X, j]P(\mathcal{X}|w_i^j) = h(\theta_0 + \theta_1 P(\mathcal{X}_1|w_{i_1}^{i_1}))} C_1 \wedge C_2 \\
 & \frac{(X \rightarrow w_i^{i_1} X_1 w_{j_1}^{i_2} X_2 w_{j_2}^{j_2}) \quad [i_1, X_1, j_1]\Phi_1 \quad [i_2, X_2, j_2]\Phi_2}{[i, X, j]P(\mathcal{X}|w_i^j) = h(\theta_0 + \theta_1 P(\mathcal{X}_1|w_{i_1}^{i_1}) + \theta_2 P(\mathcal{X}_2|w_{i_2}^{i_2}))} C_1 \wedge C_2 \\
 & \frac{(X \rightarrow \mathcal{E})}{[i, \mathcal{E}, j]} C_1 \\
 & \frac{(X \rightarrow \mathcal{E} X_1) \quad [i, \mathcal{E}, k] \circ \quad [k, X_1, j]\Phi_1}{[i, X, j]P(\mathcal{X}|w_i^j) = P(\mathcal{X}|w_k^j)} C_1 \\
 & \frac{(X \rightarrow X_1 \mathcal{E}) \quad [i, X_1, k]\Phi_1 \quad [k, \mathcal{E}, j] \circ}{[i, X, j]P(\mathcal{X}|w_i^j) = P(\mathcal{X}|w_k^j)} C_1
 \end{aligned}$$

**Sentiment Grammar**

where  $h(x) = \frac{1}{1 + \exp\{-x\}}$  is a logistic function,  $\circ$  represents the absence, and  $X, X_1, X_2$  represent  $N$  or  $P$ . As specified in the polarity model, we have  $P(\bar{\mathcal{X}}|w_i^j) = 1 - P(\mathcal{X}|w_i^j)$ .



Many Thanks

P->thanks

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P->many P